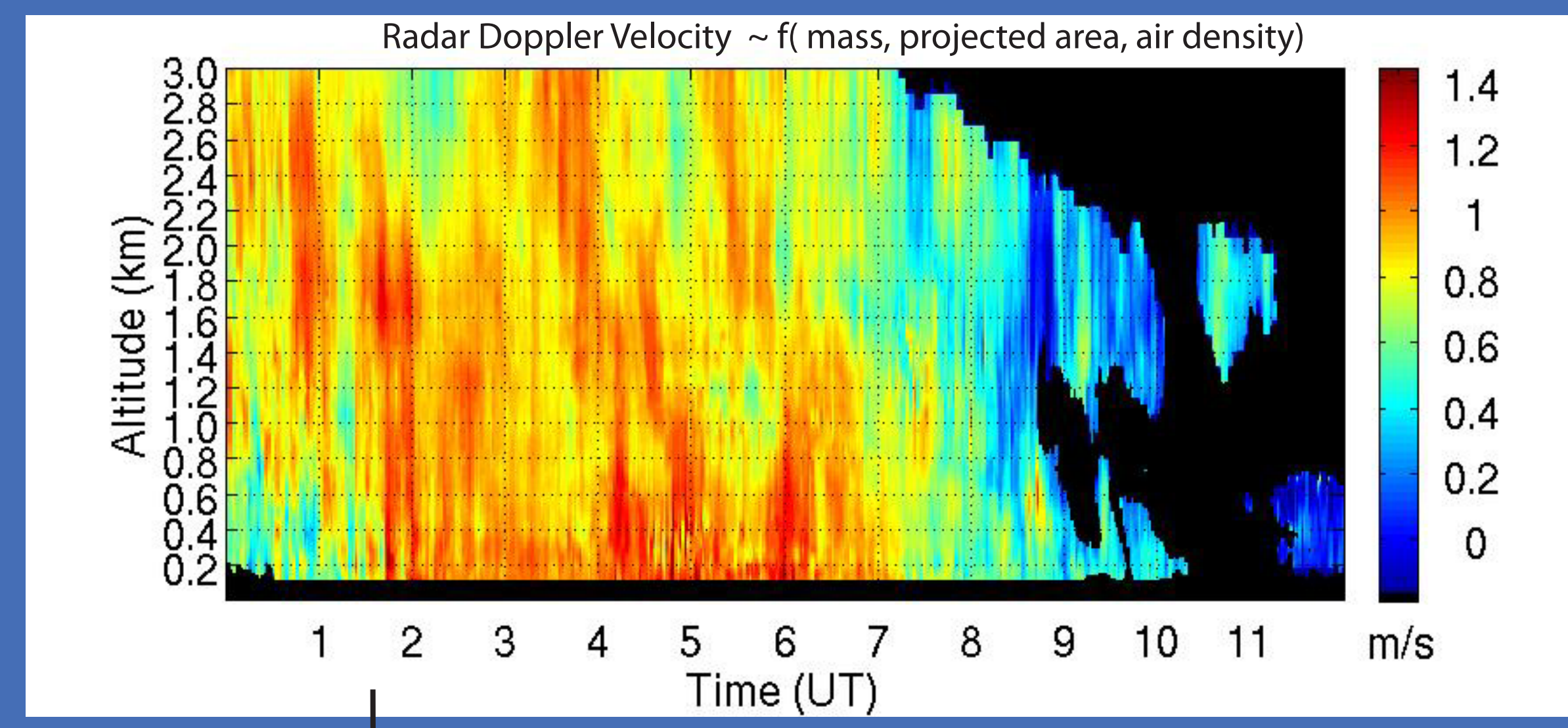
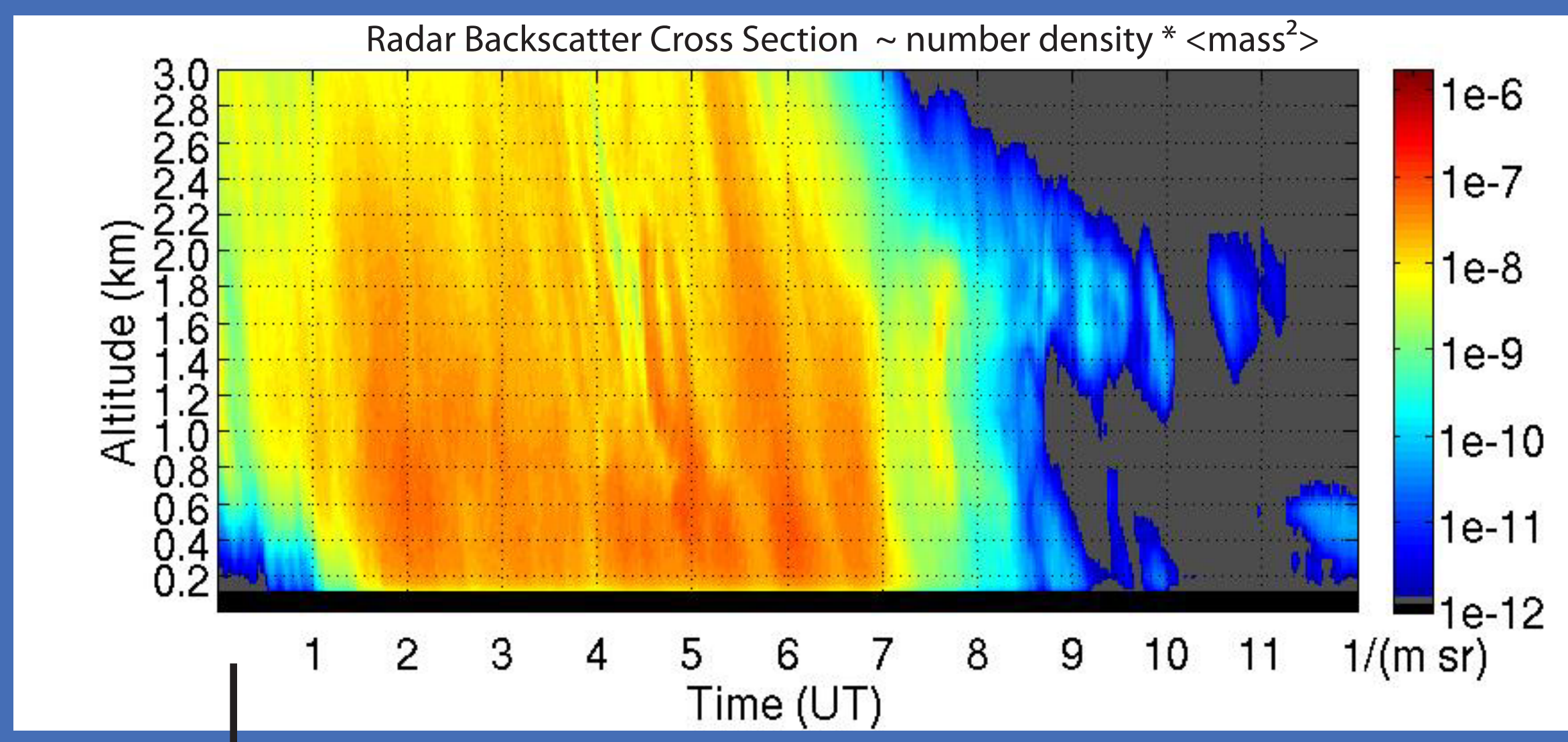
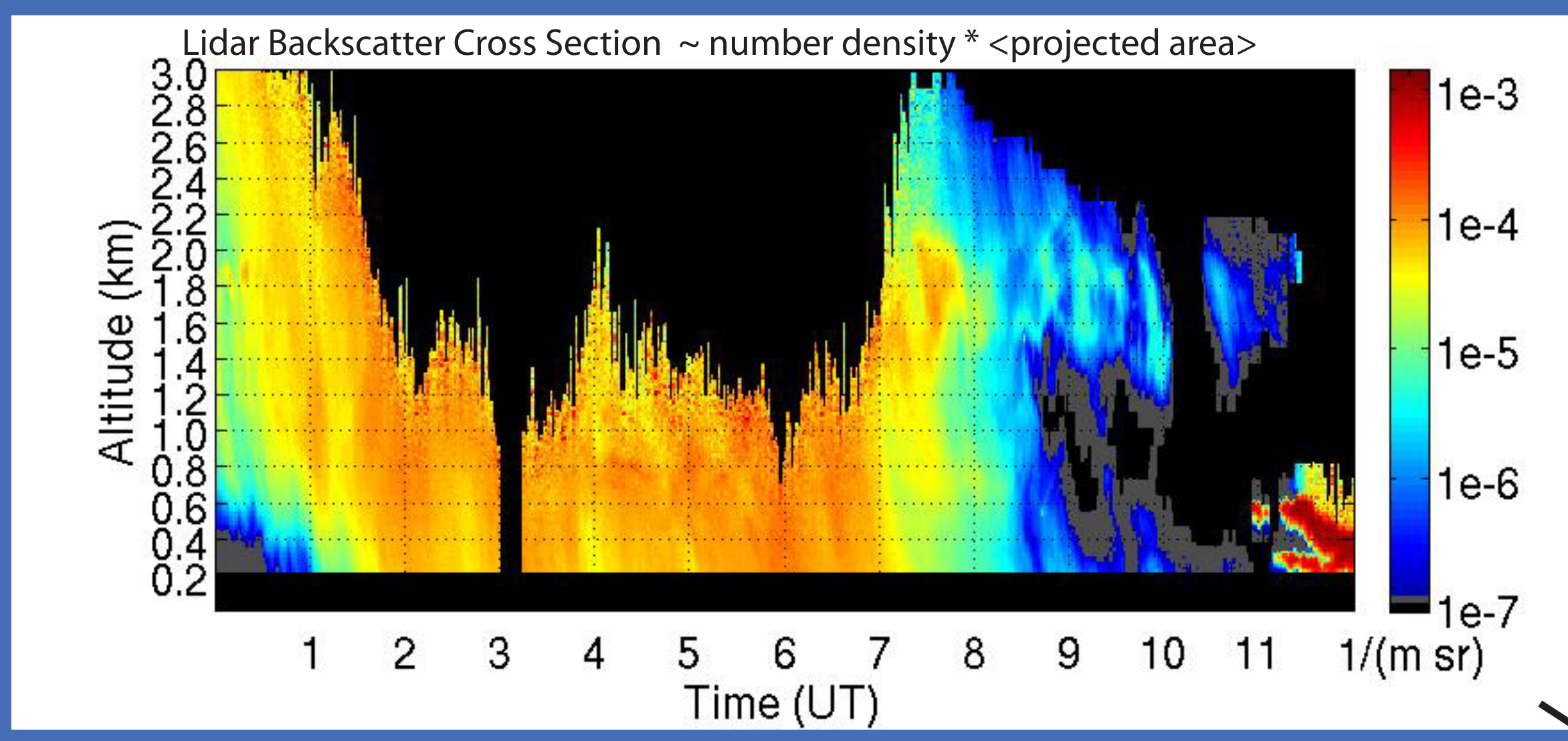


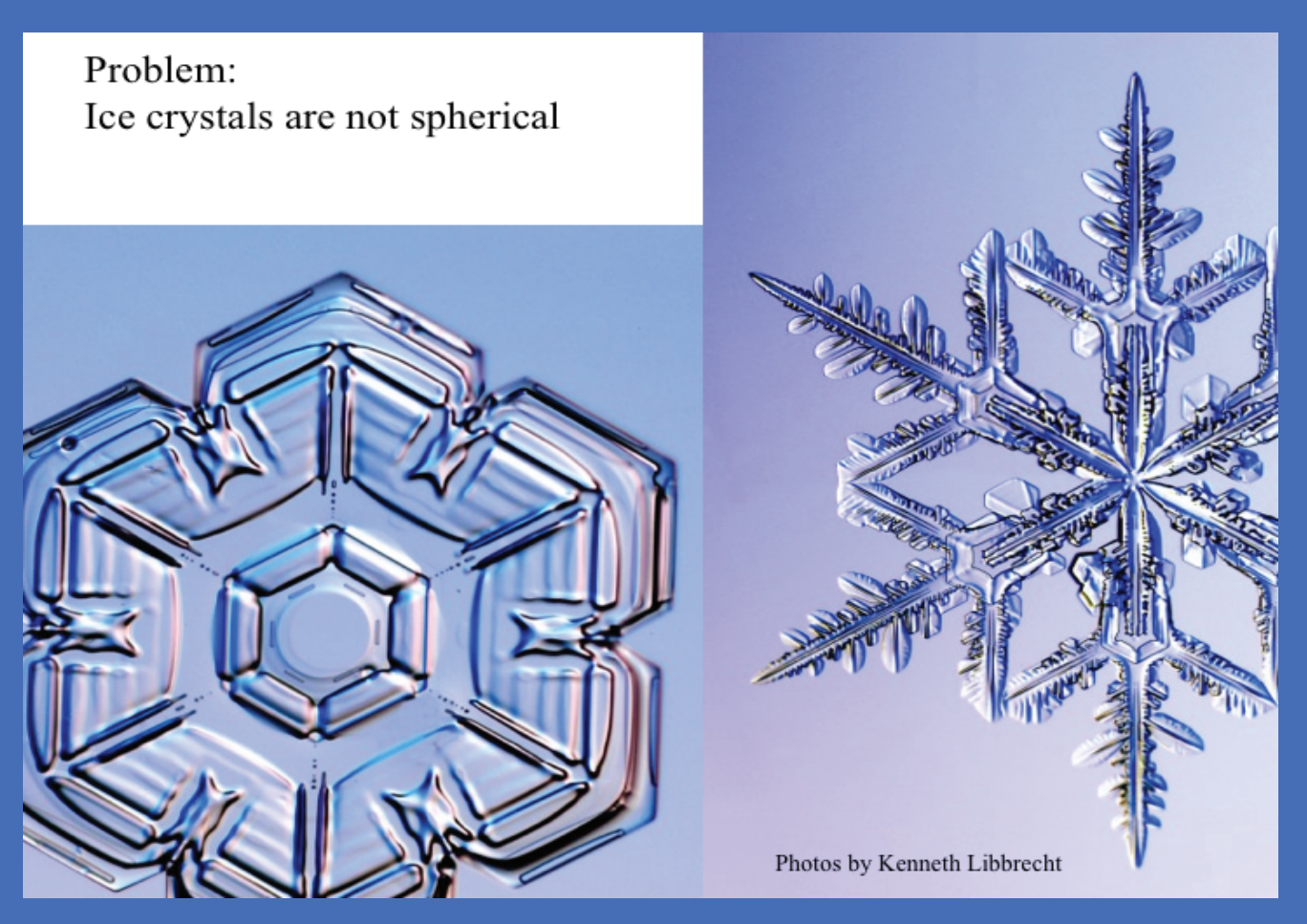
# An improved model for snowfall measurement using lidar and radar

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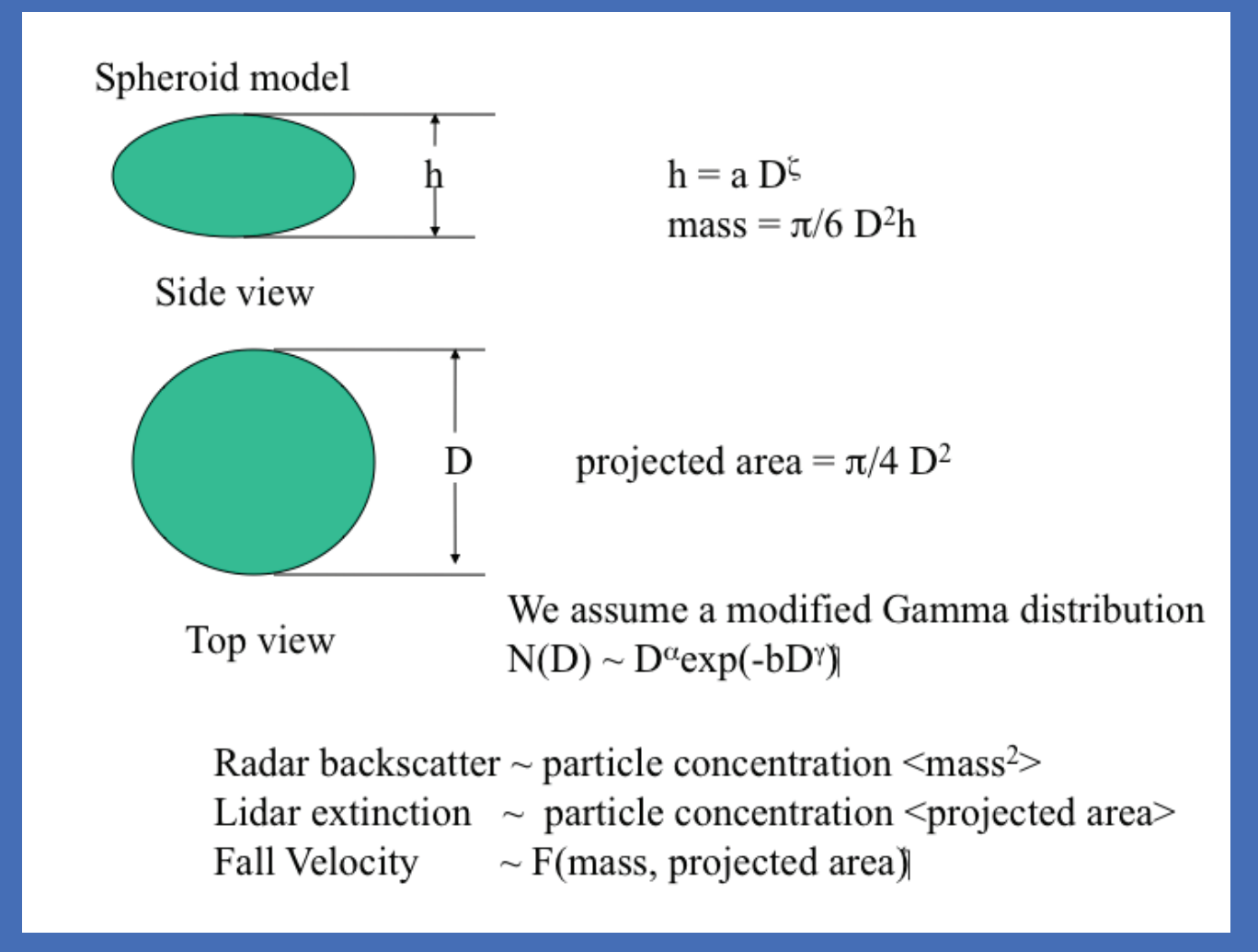
HSRL and MMCR data from a snow storm on 27-Oct-06 is used as input data to illustrate the technique that does not require a priori assumption of crystal shape



A relationship between  $D_{eff}'$  and  $D_{eff}$  is needed to compute LWC from the lidar and radar data. In the past, this required an assumed crystal shape.



Snowflakes are modeled as prolate spheroids with the same mass and projected area as the actual snowflakes. Their aspect ratios are given as a power law of their diameters following Auer and Veal, JAS, Sept 1970, V27 pp 919-926.



The spheroid model is then used to compute the radar reflectivity weighted fall velocity as a function of  $D_{eff}'$  and the aspect ratio power law exponent,  $\xi$ .

The size distribution and the spheroid model are used to compute the observable quantities:

$$D_{eff}' = \frac{4 \sqrt{g \langle V^2 \rangle}}{\pi \langle A \rangle} = \frac{4 \int a^2 D^4 D^{2c} N(D) dD}{\int D^2 N(D) dD} = \sqrt{\frac{2k^4 P_{radar}}{\pi^2 k_{ext}^2 P_s}}$$

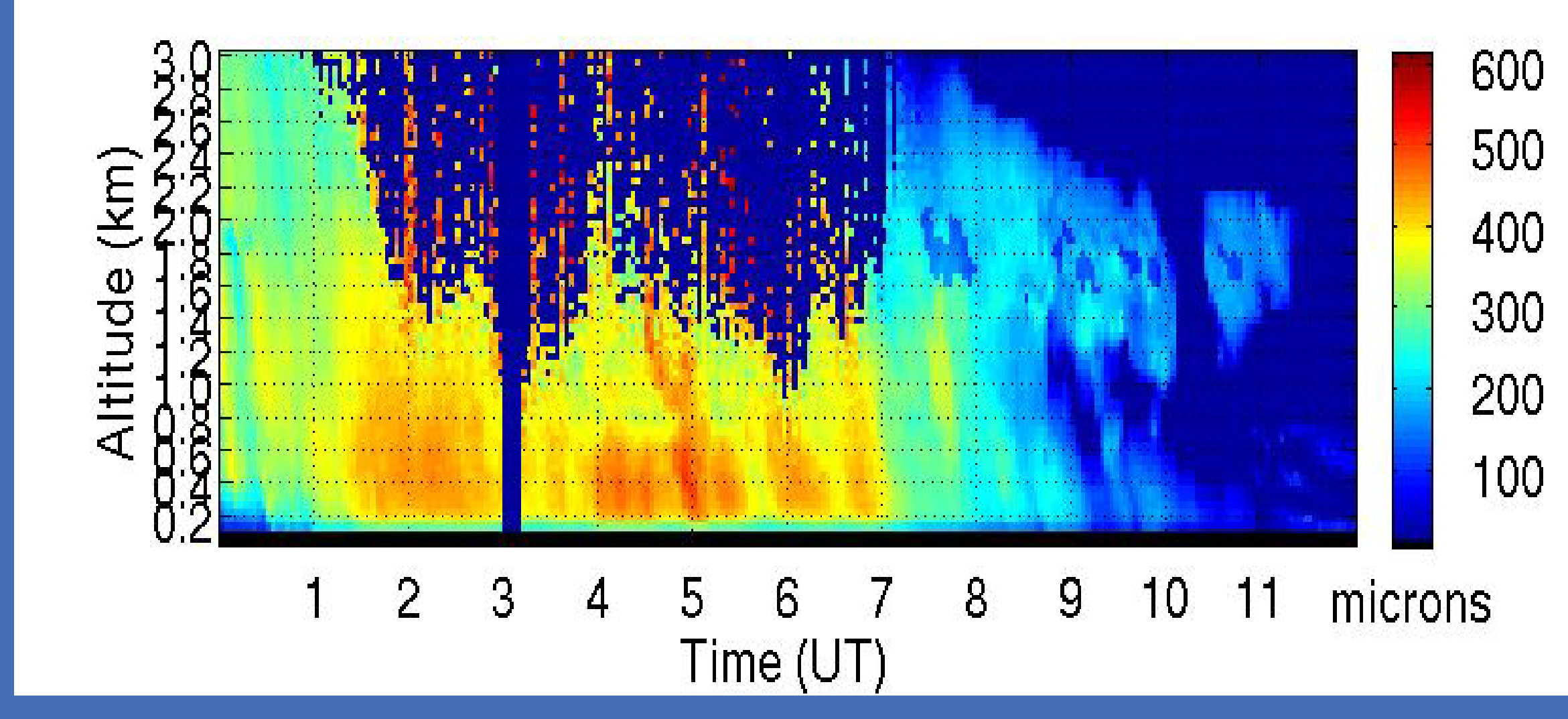
Radar reflectivity weighted fall velocity:

$$\langle V_F \rangle = \frac{\int V_f D^4 D^{2c} N(D) dD}{\int D^2 D^{2c} N(D) dD}$$

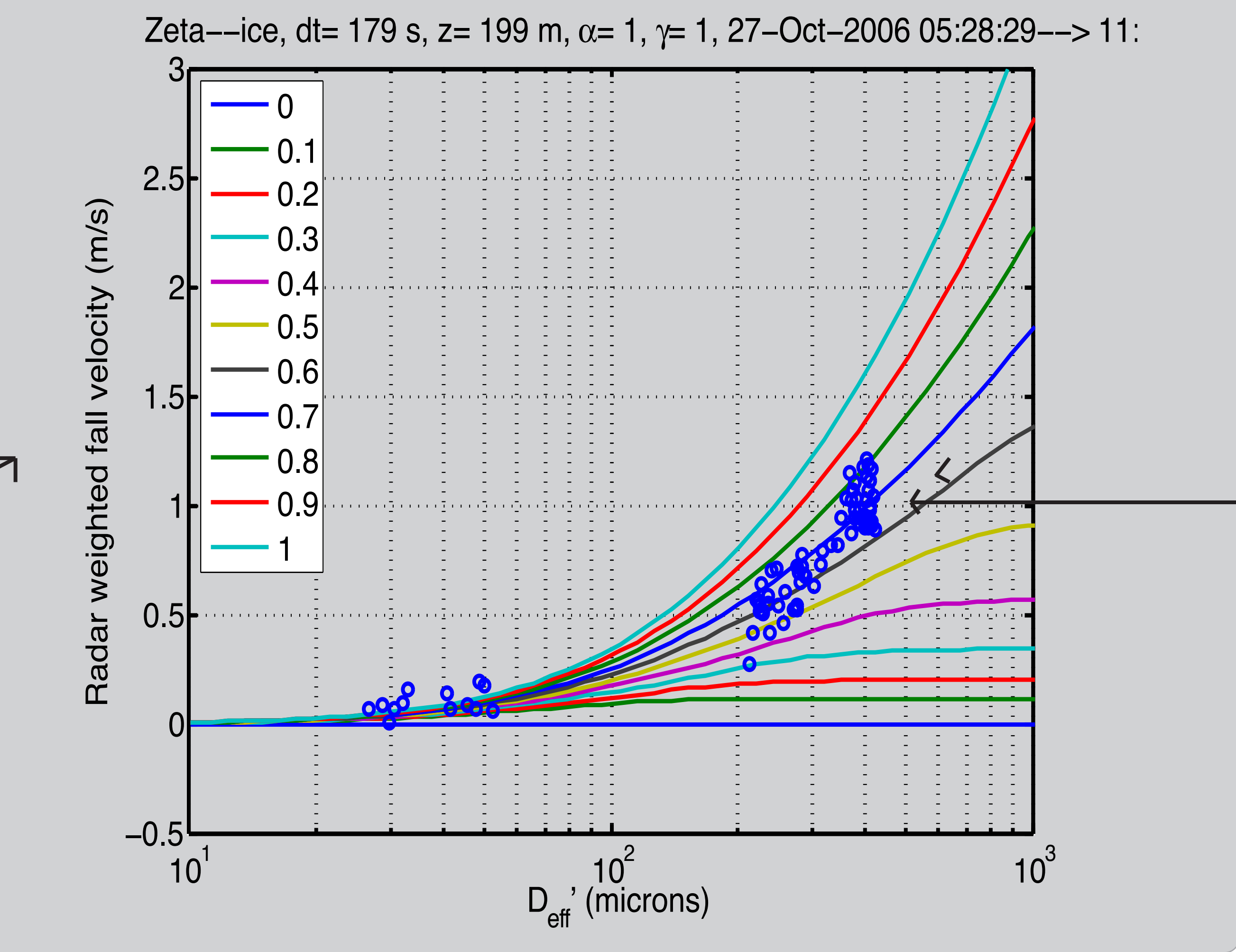
Fall velocity is parameterized in terms of X, the Best #:  $V_f = (\eta / (\rho_{air} D)) \{ (d^2/4) ((1+C_1 X^{1/2})^{1/2} - a_0 X^{b_0}) \}$   
 $X = (2\ mass\ \rho_{air}\ g\ D^2) / (\text{area}\ \eta^2)$

$D_{eff}' = \sqrt[4]{\frac{2\lambda^4}{\pi^2 k^2} \frac{4\pi \times \text{Radar backscatter cross section}}{VP(180) \times \text{Lidar backscatter cross section}}} \sim \sqrt{\frac{\langle mass^2 \rangle}{\langle projected\ area \rangle}}$

Lidar and radar backscatter cross sections can be used to compute  $D_{eff}'$  (Donovan and Lammeran, J. Geophys. Res. Vo106, 2001, pp

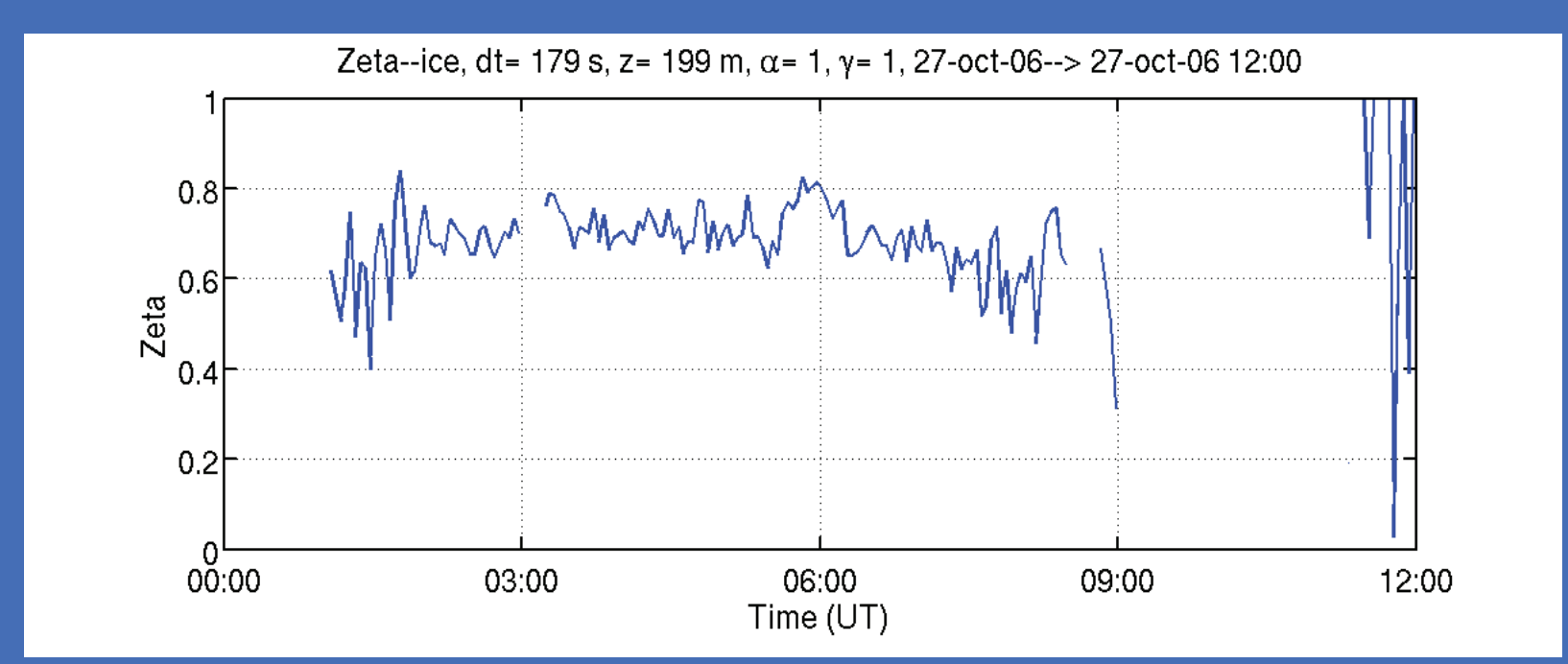


Values of  $D_{eff}'$  and fall velocity measured at an altitude of 200 m are shown on a plot derived from the spheroid model. The position of each point determines a value of  $\xi$  for that point.

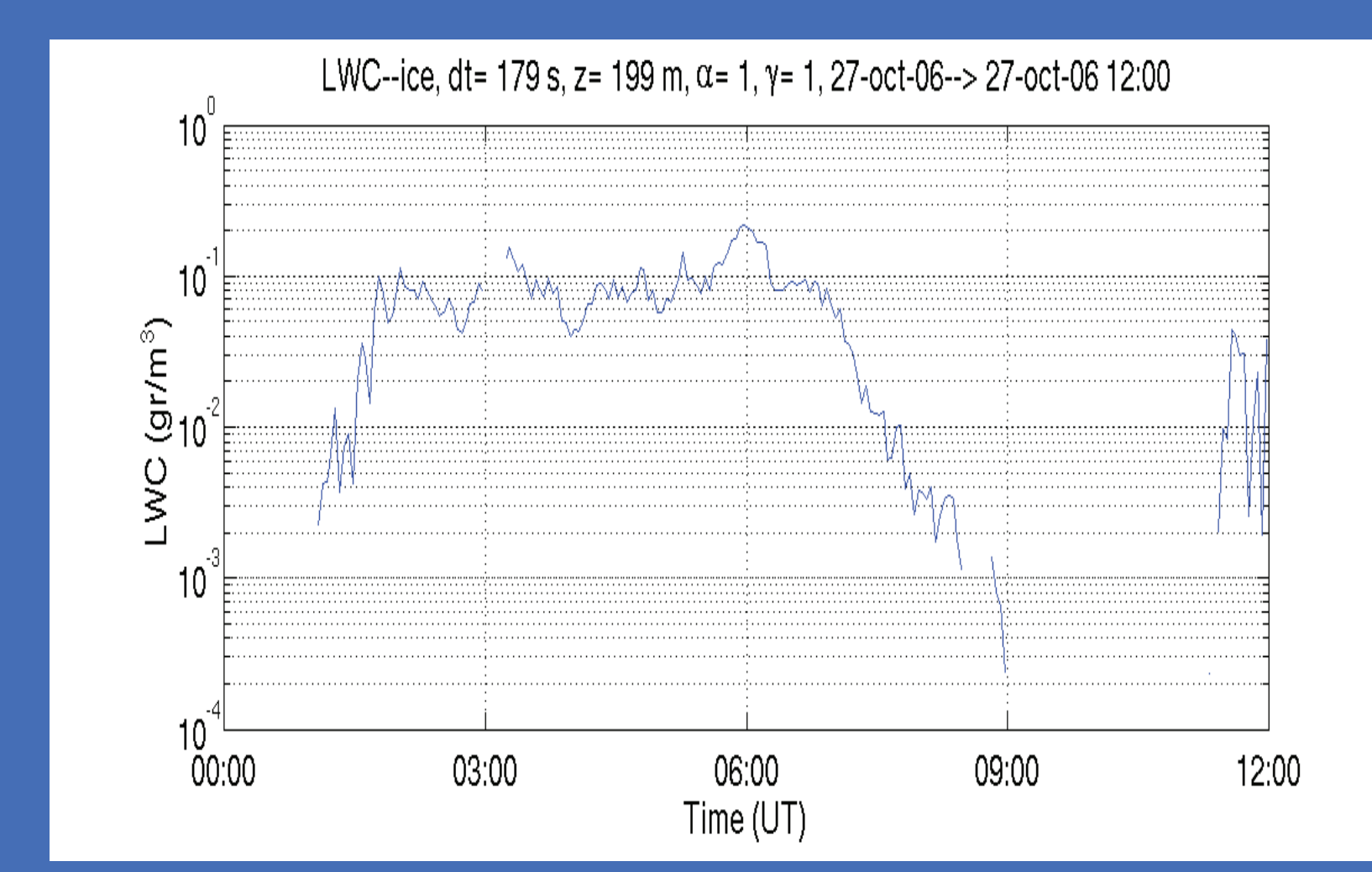


**Current limitations:**  
 Single mode size distribution is not correct when a mixture of fog and snow is present.  
 Doppler velocity is not equal to fall velocity when vertical air motion is present.

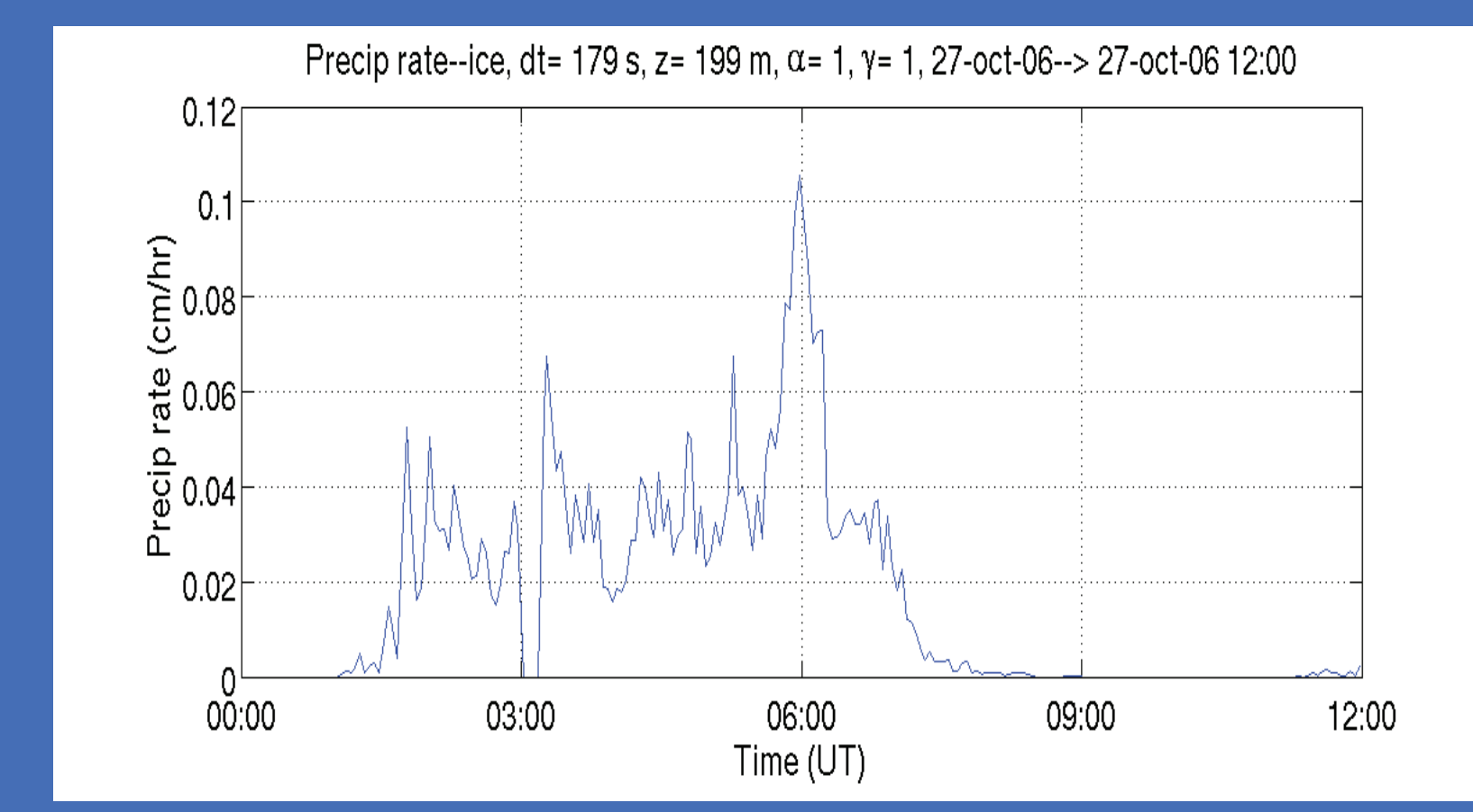
The aspect ratio exponent at z=200 m on 27-Oct-06.



Using values of  $D_{eff}'$ , the spheroid model, and  $\xi$  for each data point we compute  $D_{eff}$  and with the lidar scattering cross section this provides LWC.



LWC \* radar Doppler velocity = precipitation rate



Integrating precip rate yields total precipitation

